MA 1971 Bridge to Higher Mathematics

I affirm that I have not consulted my text, notes or any reference, paper or electronic, or any person once I opened and/or looked at this quiz.

Signature:

Show all work needed to reach your answers.

1. (1 points)

2. (12 points) Please complete the following multiplication table for \mathbb{Z}_7 (multiplication mod 7).

| \times | 0 | 1 | 2 | 3 | 4 | 5 | 6 |
|---|---|---------------|---------------|---|---|---|---|
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 1 | 0 | 1 | 2 | | 4 | | 6 |
| 2 | 0 | 2 | | 6 | | 3 | 5 |
| 3 | 0 | | 6 | | 5 | | 4 |
| $ \begin{array}{c} 1 \\ 2 \\ 3 \\ 4 \\ 5 \\ 6 \end{array} $ | 0 | 4 | | 5 | 2 | 6 | |
| 5 | 0 | 5 | $\frac{3}{5}$ | | | 4 | 2 |
| 6 | 0 | $\frac{4}{5}$ | 5 | 4 | | 2 | 1 |

 $\mathbb{N} =$

3. (12 points) Please complete the following proof that the prime numbers (ℙ) are *countably infinite*.
 Proof (Contradiction):

Suppose that the primes are finite, that is, suppose that $\mathbb{P} = \{p_1, p_2, ..., p_n\}$ for some finite $n \in \mathbb{Z}^+$.

Name:

Quiz 3

D Term, 2021